

Crop Yield Analysis of the Irrigated Areas of All Spatial Locations in Guntur District of AP.

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ABSTRACT

Spatial data mining is a process to discover interesting and potentially useful spatial patterns embedded in spatial databases, which are voluminous in their sizes. Efficient techniques for extracting information from geo-spatial data sets can be of importance to various sectors like research, defense and private organizations for generating and managing large geo-spatial data sets. The current approach towards solving spatial data mining problems is to use classical data mining techniques. Effective analysis was done using the hybrid data mining techniques by mixing both clustering and classification techniques. In this paper crop yield of spatial locations of Guntur district were taken and studied using the hybrid technique.

Keywords: geo-spatial data sets, hybrid data mining technique, clustering, classification, spatial locations

I. Introduction

Indian agriculture is known for more fluctuations in terms of crop yield, crop output and crop intensity. Despite growth in Technology and irrigation the production and income are highly instable [11]. Guntur district is located in the state of Andhra Pradesh. It is situated along the east coast of the Bay of Bengal. Its coastline is approximately 100 kilometers. It is the largest city and is the administrative center of the District. It has 57 mandals starting from Guntur, Pedakakani, Prathipadu, etc..to ending with Nizampatnam. Major crops are Cotton and Chillies. Analysis need to be done on the agriculture data sets which requires classical data mining techniques apart from statistical techniques. The data mining techniques[12] like classification, clustering and association are required to apply on the realistic data sets for analysis and conclusions on the agriculture crop yields [8, 9, and 10] of various seasons like Kharif and rubby. The following existing techniques are discussed along with proposed hybrid approach.

II. Literature Survey

K-Means clustering Algorithm:The k-means algorithm [3] [Hartigan& Wong 1979] is the well known clustering technique used in scientific and industrial applications. Its name comes from centroid which is the mean of c of k clusters C. This technique is not suitable for categorical attributes. It is more suitable for numerical attributes. K-means[1] algorithm uses squared error criteria and is extensively used algorithm. The data is partitioned into K clusters ($C_1; C_2; \dots; C_K$), using this algorithm which are represented by their centers or means. The

mean of all the instances belonging to that cluster gives the center of each cluster.

The pseudo-code of the K-means algorithm is given by Fig.1. The algorithm begins with randomly selected initial set of cluster centers. Each instance is assigned to its closest cluster center for every iteration based on Euclidean distance calculated between the two. After thatre-calculate the cluster centers.

$$\mu_k = \frac{1}{N_k} \sum_{q=1}^{N_k} x_q$$

the instances number belonging to cluster k is denoted by N_k and the mean of the cluster k is represented by μ_k .

There is a possibility for a number of convergence conditions. If the partitioning error is not reduced by the relocation of the centers the search will be stopped as it concludes that the present partition is locally optimal. Another stopping criteria is that if it exceeds a pre-defined number of iterations.

Input: S (instance set), K (no. of clusters)

Output: clusters

- 1: Initialize K cluster centers.
- 2: **while** termination condition is not satisfied **do**
- 3: Assign instances to the nearest cluster center.
- 4: Update cluster centers based on the assignment.
- 5: **end while**

Figure1. K-means Algorithm

This algorithm may be viewed as a gradient-decent procedure. In which it begins with random selection of an initial set number of K cluster-centers and iteratively updates by which error function will decrease. A rigorous proof of the finite convergence

of the K -means type algorithms is given in [4]. The complexity of T iterations of the K -means algorithm performed on a sample size of m instances, each characterized by N attributes, is: $O(T * K * m * N)$. This linear complexity is one of the reasons for the popularity of the K -means algorithms. Even if the number of instances is substantially large (which often is the case nowadays), this algorithm is computationally attractive. Thus, the K -means algorithm has an advantage in comparison to other clustering methods (e.g. hierarchical clustering methods), which have non-linear complexity. Other reasons for the algorithm's popularity are its ease of interpretation, simplicity of implementation, speed of convergence and adaptability to sparse data [5]. The Achilles heel of the K -means algorithm involves the selection of the initial partition. The algorithm is very sensitive to this selection, which may make the difference between global and local minimum. Being a typical partitioning algorithm, the K -means algorithm works well only on data sets having isotropic clusters, and is not as versatile as single link algorithms, for instance.

In addition, this algorithm is sensitive to noisy data and outliers (a single outlier can increase the squared error dramatically); it is applicable only when mean is defined (namely, for numeric attributes); and it requires the number of clusters in advance, which is not trivial when no prior knowledge is available. The use of the K -means algorithm is often limited to numeric attributes. The similarity measure for numeric attributes and categorical attributes differ in the first case take the square Euclidean distance; where as in second case take the number of mismatches between objects and the cluster prototypes.

Another partitioning algorithm, which attempts to minimize the SSE is the K -medoids or PAM (partition around medoids[2]). It is similar to the K -means algorithm. It differs with k -means mainly in representation of the different clusters. Each cluster is represented by the most centric object in the cluster, rather than by the implicit mean that may not belong to the cluster. This method is more robust than K -means algorithm even if there is noise and outliers. The influence of outliers is less. The processing of K -means is less costlier when compared to this. It is required to declare the number of clusters K for both the methods. It is not mandatory to use only SSE. Estivill-Castro (2000) analyzed the total absolute error criterion. He stated that it is better to summing up the absolute error instead of summing up the squared error. This method is superior in terms of robustness, but it requires more computational effort. The objective function is defined as the sum of discrepancies between a point and its centroid which is expressed through an appropriate distance. The total intra-cluster variance is the norm based

objective function, and is defined as the sum of squares of errors between the points and the corresponding centroids,

$$E(C) = \sum_{j=1}^k \sum_{x_i \in C_j} \|x_i - c_j\|^2$$

It can be rationalized as log-likelihood for normally distributed mixture model. In Statistic it is extensively used. Therefore, it is derived from general framework of probability. Its iterative optimization has two versions. The first technique is similar to EM algorithm one of the Data mining technique. It has two-steps of major iterations in which first time reassigns all the points to their nearest centroids, and second time recompute centroids of newly formed groups. Iterations continue until a stopping criterion is achieved (for example, no reassignments happen). This version is known as Forgy's algorithm [6] and has many advantages:

- It easily works with any p -norm
- It allows straightforward parallelization [5]
- It is insensitive with respect to data ordering.

If a move has a positive effect, the point is relocated and the two centroids are recomputed.

J48 algorithm: J48 [7] is the optimization of C4.5 algorithm and also an improvised version of it. Its output result is a Decision tree which is of a tree structure. It has a root node, along with intermediate nodes apart from leaf nodes. Except Root node and leaf nodes every other node in the tree consists of decision and which leads to our result. This tree divides the given space of a data set into areas of mutually exclusive. In this its data points are described by every area will have a label, a value or an action. The criterion of splitting is used to find which attribute makes the best split on the portion of tree of the training data set which in turn reaches to a particular node. Decision tree is formed by using the children attribute of the data set.

III. Proposed Approach

The raw data set was converted to the required format and then apply the data mining technique namely k -means clustering algorithm and then we get the new data set namely clustered data set. The classification technique J48 was applied on that clustered data set which results in hybrid model.

IV. Implementation of proposed approach

A data set on Irrigation for the Year 2007-08 & 2011-12 of Guntur district were considered for analysis with k -means (or simple k -means) clustering data [8,9] mining technique having 15 attributes namely Mandal, latitude, longitude, longitude1, crop, area_irrigated, area_unirrigated, etc. Clustering is an Unsupervised one and here Missing values are replaced with mean and mode apart from

Discretization with 10 bins. Here full training set as the clustering model. The cluster table was represented by Table 1 and Cluster proximities were given by Table 2. The cluster graph was shown below in Fig. 2. The 5 clusters are shown in 4 different colors with instances on x-axis and mandals on y-axis. A hybrid model was developed and applied after applying K-means clustering. We took the J48 classification technique on the obtained clustered data set. The result was summarized as follows. It is with Minimum confidence is 0.25 and binary tree classifier. It also has same number of instances i.e. 114 with 19 attributes. The attributes are Instance_number, mandal, latitude, longitude, longitude1, crop, area_irrigated, area_unirrigated, area_total, etc. attributes. The J48 pruned tree is given below.

```

crop = Cotton
| latitude <= 16.37184
| | area_unirrigated <= 3947: cluster4 (34.0/2.0)
| | area_unirrigated > 3947: cluster3 (6.0)
| latitude > 16.37184: cluster3 (17.0/1.0)
crop = Chillies
| pr
| productivity_unirrigated <= 3.239
| | latitude <= 16.340198
| | | production_irrigated <= 11367.5: cluster2 (35.0/1.0)
| | | production_irrigated > 11367.5: cluster1 (2.0)
| | latitude > 16.340198: cluster1 (15.0)
| productivity_unirrigated > 3.239: cluster0 (5.0)
    
```

The pruned tree in tree structure was shown in Fig. 3 with crop as root node and clusters as leaf nodes. Correctly Classified Instances are 103 (90.351%) and Incorrectly Classified Instances are 11 (9.649%). Kappa statistic value is 0.8716. Kappa is a chance-corrected measure of agreement between the classifications and the true classes. It's calculated by taking the agreement expected by chance away from the observed agreement and dividing by the maximum possible agreement. A value greater than 0 means that your classifier is doing better than chance. The Kappa statistic is near to 1 so it is near to perfect agreement. Confusion Matrix: In the confusion matrix each column represents instances in the predicted class and each row indicates instances in actual class. These mining techniques were applied on various data sets.

V. Results & Analysis:

Initially k-means clustering technique was applied on Guntur Irrigation data set for analysis. Cluster 0: It was found that for the Pedanandipadu Mandal centroids of the latitude is

16.4542 N, Longitude is 80.0421 E with crop Chillies and area irrigated is 1531 area un-irrigated is 710 with area total is 1946 with highest productivity irrigated 5.5 and productivity_unirrigated is 5. It also has highest production_irrigated and lowest Production_unirrigated with Productivity_total and Production_total as 0.

Cluster 1 and 2 are also chillies as crop and production-irrigated is highest in cluster 1 with mandals Mangalagiri and chebrolu. Cluster 3 and 4 are with Mandals Guntur and nagaram and cotton is their crop. Cluster 3 is with highest area-irrigated and area_unirrigated. It also has highest area_total and production_unirrigated among the clusters. Confusion matrix shows that cluster 0 was classified accurately next to that was cluster 2. In cluster 1 out of 18 instances 23 were classified under cluster 2 and 1 was classified under cluster 3. Cluster 3 and 4 are not classified correctly. The values of TP rate and F-measure for cluster 0 are 1 indicates they are classified accurately. Cluster 2 and 4 are also has TP rate and F-measure are almost 1, so classified almost accurately.

Fig. 4 and Fig. 5 are showing that the irrigated areas of major crops cotton and chillies across mandals are increasing from the years 2007-08 to the years 2011-12. In these graphs number of mandals were taken along x-axis and Irrigated area along y-axis. Cotton area in Hectors is higher than Chillies area in Hectors shown in Fig. 6. In this graph name of the mandals were taken along x-axis and Area in Hectors is taken along y-axis. Interesting measures were found when Association rule Apriori was applied on the clustered spatial data set and the rules were shown in fig. 7 and fig. 8. Initially discretization was done on the clustered data set as a hybrid technique later apriori association rule was applied. It was found that as we increase min support from 0.1 to 0.4 and to 0.6 and then to 0.8 keeping minimum support to 0.9 constant the Latitude 1 = N, Longitude 1 = E, and Productivity_total are associated with 114 instances and along with the other attribute productivity_irrigated are together formed association rules with 99 instances. When minimum support and minimum confidence attains values both 0.9 or either of them takes the values 0.9 or 1.0 vice versa or both takes values as 1.0 the attributes longitude1(E), latitude 1(N) and Productivity_total are only associated together.

Cluster centroids:

Cluster#	0	1	2	3	4
Attribute (114)	(5)	(18)	(35)	(23)	(33)
mandal	Guntur	Pedanandipadu	Mangalagiri	Chebrolu	Guntur Nagaram
latitude	16.2535	16.4542	16.4478	16.1354	16.4331
latitude1	N	N	N	N	N
longitude	80.2683	80.0421	80.0966	80.3918	80.0998
longitude1	E	E	E	E	E
crop	Cotton	Chillies	Chillies	Cotton	Cotton
area_irrigated	1476.8222	1531.7644	1737.3037	1108.6413	1901.1014
area_unirrigated	1619.1283	1995.4521	710.4	970.7976	1391.1284
area_total	2566.5663	1946.8	2179.3889	1485.2265	5499.0681
productivity_irrigated	5.186	5.531	5.4436	5.4042	4.7033
productivity_unirrigated	2.7223	5.0448	2.7092	2.7223	2.2873
productivity_total	0	0	0	0	0
production_irrigated	11367.5	11772.9	13594.4167	10537.5143	11100.7391
production_unirrigated	9012.8438	3560	8729.3524	9012.8438	11117.8492
production_total	0	0	0	0	0

Table 1: Cluster table on Irrigation data set

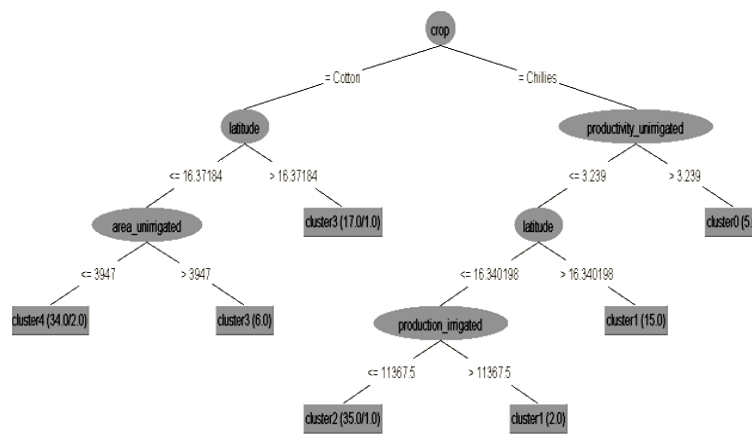


Fig.2: Cluster graph

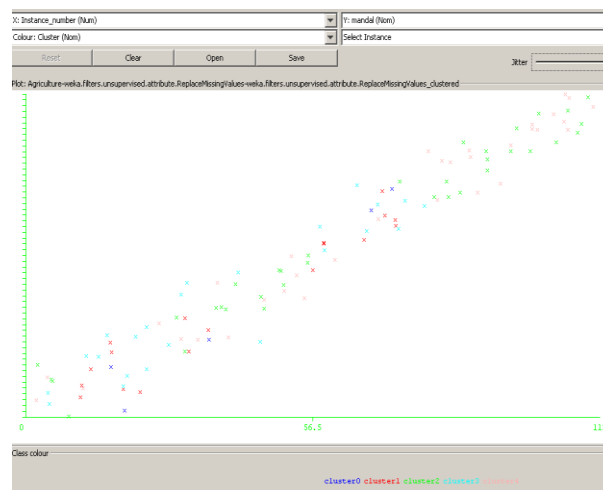


Fig.3: Pruned tree

Cluster-I		Cluster-II		Cluster-III		Cluster-IV		Cluster - V	
5	1.682367	1	1.682367	1	1.682367	1	1.682367	1	1.682367
4	1.682367	3	2.236069	2	2.236069	3	2.236069	3	2.236069
2	1.682367	4	2.236069	4	2.236069	2	2.236069	4	2.236069
3	1.682367	5	2.236069	5	2.236069	5	2.236069	2	2.236069

Table2. Clusters along with their Proximities

The Confusion Matrix is given as below

```

a bc d e <-- classified as
5 0 0 0 0 | a = cluster0
0 14 3 1 0 | b = cluster1
0 0 34 0 1 | c = cluster2
0 2 0 20 1 | d = cluster3
0 0 1 2 30 | e = cluster4
    
```

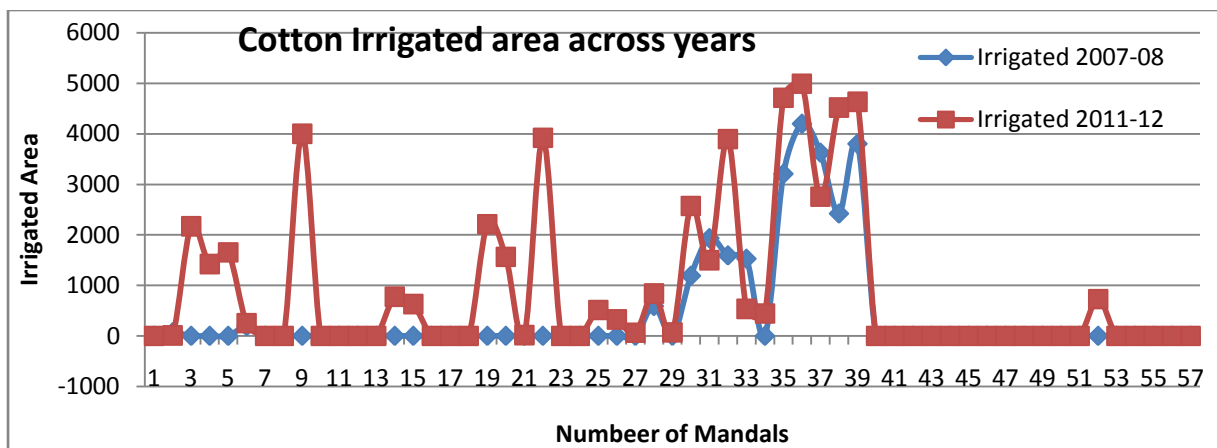


Fig4: Cotton irrigated area across years and mandals

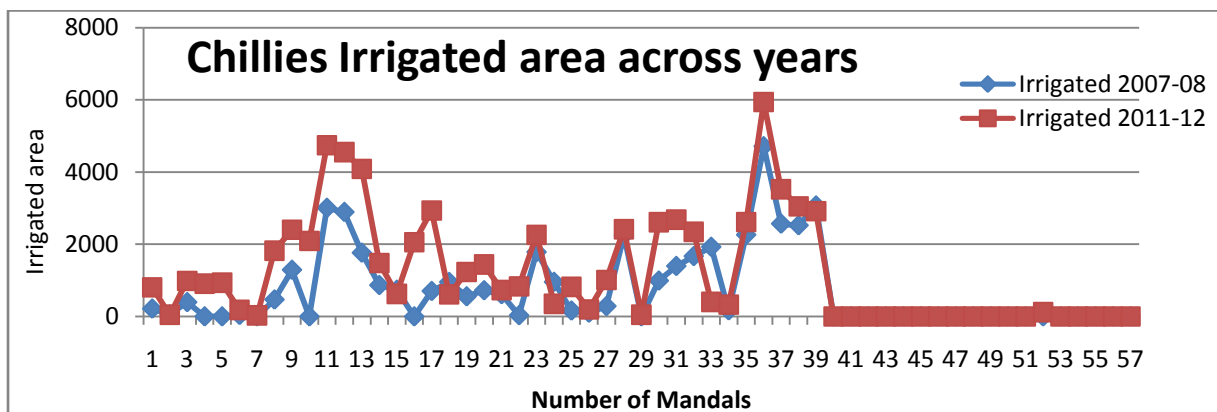


Fig.5: Chillis irrigated area across years and mandals

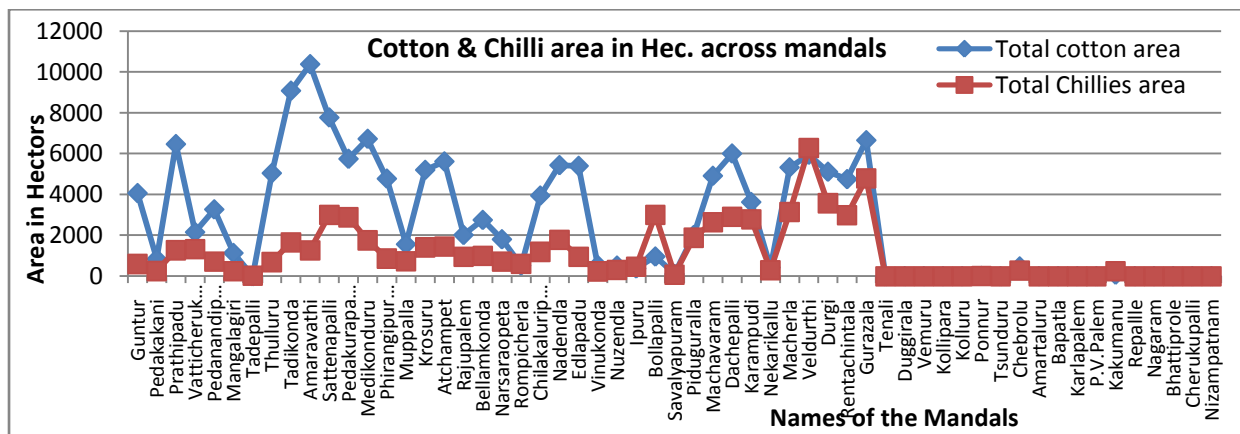


Fig.6: Cotton and Chilli area in Hectors across Mandals of Guntur

Best rules found:

1. longitude1=E 114 ==> latitude1=N 114 <conf:(1)> lift:(1) lev:(0) [0] conv:(0)
2. latitude1=N 114 ==> longitude1=E 114 <conf:(1)> lift:(1) lev:(0) [0] conv:(0)
3. productivity_total='All' 114 ==> latitude1=N 114 <conf:(1)> lift:(1) lev:(0) [0] conv:(0)
4. latitude1=N 114 ==> productivity_total='All' 114 <conf:(1)> lift:(1) lev:(0) [0] conv:(0)
5. productivity_total='All' 114 ==> longitude1=E 114 <conf:(1)> lift:(1) lev:(0) [0] conv:(0)
6. longitude1=E 114 ==> productivity_total='All' 114 <conf:(1)> lift:(1) lev:(0) [0] conv:(0)
7. longitude1=E productivity_total='All' 114 ==> latitude1=N 114 <conf:(1)> lift:(1) lev:(0) [0] conv:(0)
8. latitude1=N productivity_total='All' 114 ==> longitude1=E 114 <conf:(1)> lift:(1) lev:(0) [0] conv:(0)
9. latitude1=N longitude1=E 114 ==> productivity_total='All' 114 <conf:(1)> lift:(1) lev:(0) [0] conv:(0)
10. productivity_total='All' 114 ==> latitude1=N longitude1=E 114 <conf:(1)> lift:(1) lev:(0) [0] conv:(0)
11. longitude1=E 114 ==> latitude1=N productivity_total='All' 114 <conf:(1)> lift:(1) lev:(0) [0] conv:(0)
12. latitude1=N 114 ==> longitude1=E productivity_total='All' 114 <conf:(1)> lift:(1) lev:(0) [0] conv:(0)
13. productivity_irrigated='(4.967-5.5112]' 99 ==> latitude1=N 99 <conf:(1)> lift:(1) lev:(0) [0] conv:(0)
14. productivity_irrigated='(4.967-5.5112]' 99 ==> longitude1=E 99 <conf:(1)> lift:(1) lev:(0) [0] conv:(0)
15. productivity_irrigated='(4.967-5.5112]' 99 ==> productivity_total='All' 99 <conf:(1)> lift:(1) lev:(0) [0] conv:(0)
16. longitude1=E productivity_irrigated='(4.967-5.5112]' 99 ==> latitude1=N 99 <conf:(1)> lift:(1) lev:(0) [0] conv:(0)
17. latitude1=N productivity_irrigated='(4.967-5.5112]' 99 ==> longitude1=E 99 <conf:(1)> lift:(1) lev:(0) [0] conv:(0)
18. productivity_irrigated='(4.967-5.5112]' 99 ==> latitude1=N longitude1=E 99 <conf:(1)> lift:(1) lev:(0) [0] conv:(0)
19. productivity_irrigated='(4.967-5.5112]' productivity_total='All' 99 ==> latitude1=N 99 <conf:(1)> lift:(1) lev:(0) [0] conv:(0)
20. latitude1=N productivity_irrigated='(4.967-5.5112]' 99 ==> productivity_total='All' 99 <conf:(1)> lift:(1) lev:(0) [0] conv:(0)

Fig.7 Association rules when minimum support = 0.85 and minimum confidence =0.9

Best rules found:

1. longitude1=E 114 ==> latitude1=N 114 <conf:(1)> lift:(1) lev:(0) [0] conv:(0)
2. latitude1=N 114 ==> longitude1=E 114 <conf:(1)> lift:(1) lev:(0) [0] conv:(0)
3. productivity_total='All' 114 ==> latitude1=N 114 <conf:(1)> lift:(1) lev:(0) [0] conv:(0)
4. latitude1=N 114 ==> productivity_total='All' 114 <conf:(1)> lift:(1) lev:(0) [0] conv:(0)
5. productivity_total='All' 114 ==> longitude1=E 114 <conf:(1)> lift:(1) lev:(0) [0] conv:(0)
6. longitude1=E 114 ==> productivity_total='All' 114 <conf:(1)> lift:(1) lev:(0) [0] conv:(0)
7. longitude1=E productivity_total='All' 114 ==> latitude1=N 114 <conf:(1)> lift:(1) lev:(0) [0] conv:(0)
8. latitude1=N productivity_total='All' 114 ==> longitude1=E 114 <conf:(1)> lift:(1) lev:(0) [0] conv:(0)
9. latitude1=N longitude1=E 114 ==> productivity_total='All' 114 <conf:(1)> lift:(1) lev:(0) [0] conv:(0)
10. productivity_total='All' 114 ==> latitude1=N longitude1=E 114 <conf:(1)> lift:(1) lev:(0) [0] conv:(0)
11. longitude1=E 114 ==> latitude1=N productivity_total='All' 114 <conf:(1)> lift:(1) lev:(0) [0] conv:(0)
12. latitude1=N 114 ==> longitude1=E productivity_total='All' 114 <conf:(1)> lift:(1) lev:(0) [0] conv:(0)

Fig.7 Association rules when minimum support = 1.0 and minimum confidence =1.0

VI. Conclusion

There is a correlation between the cotton irrigated area of Irrigation 2007-08 and Irrigation2011-12 data and its value is 0.753871. There is a higher correlation between chillies irrigated area of Irrigation 2007-08 and Irrigation2011-12 data and its value is 0.869333. These analysis are specified in the results and analysis. Future scope of this hybrid approach can be extended to various agricultural spatial locations and also to various agricultural yields for effective analysis.

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